# (ارجاعات انتهاي منابع)

نخستين گام در يافتن منابع و ماخذ مورد نياز معرفي شده در انتهاي مقالاتي كه در حال مطالعه و استفاده از آن هستيد شناسايي نوع منبع است

شناخت نوع منبع تاثیر مستقیمی بر انتخاب سامانه و روش جستجو و بازیابی شما دارد. به این منظور ابتدا انواع قالب . انتهای مقالات را بر شمرده و سپس درباره روشهای شناسایی آنها توضیح خواهیم

: متداول ترین انواع منابع معرفی شده در انتهای مقالات عبارتند از

مقاله ـ منتشر شده در مجلات یا مجموعه مقالات

پایان نامه

هر يك از منابع فوق مي تواند به زبان فارسي يا انگليسي باشد كه در انتخاب محمل جستجو تاثير گذار خواهد بود. نخست نشانه هاي موجود در هر پاره اطلاعاتي كه بيانگر نوع منبع است ذكر شده و سپس نمونه هاي عملي از آن ارائه خواهد شد كه با خطوط رنگي مش

## :مقاله

در این نوع منابع معمولا هر رکورد شامل عنوان کامل مجله یا عنوان اختصاری مجله است

عنوان کامل مجله: Advanced Modeling and Optimization

عنوان اختصاري مجله: Adv. Model. Optim.

Discrete Optimization: عنوان کامل مجله

Discrete Optim. عنوان اختصاري مجله

## مقالات مجموعه ها

شود و گاهي نيز براساس سبك استن : in يا in اين نوع مراجع معمولاً پس از عنوان مقاله با حرف . مجموعه با حروف ايتاليك . اين منابع با نام مجموعه خود به عنوان كتاب جستجو مي شود

### كتابها

معمولا بدون درج شماره صفحه در انتها ذكر مي شود. تنها شامل نام نويسنده - - -

يايان نامه ها

## MA thesis یا Phd thesis این منابع نیز در پایان عنوان با عب

توجه: گاهي اوقات در انتهاي منبع معرفي شده با كلماتي با مضامين ارسال شده، در دست چاپ، پذيرفته شده و ... مواجه مي شويد كه بيانگر عدم انتشار مقاله در زمان استفاده از آن است شما با جستجوي عنوان مي توانيد . را بدست بياوريد

در ادامه نمونه هایی از هر کدام ذکر می شود

منابعی که در زمان تالیف مقاله در دست شما منتشر نشده بود:

:

مقاله مجله با عنوان اختصاري مجله:

پایان نامه:

مقاله منتشر شده در مجموعه ها:

نمونه

capacities is bounded). Any feasible transshipment f in this network can be transformed into a feasible transshipment in the original network by multiplying f by d and dividing the time any interval of flow is sent by d.

Finally, we can bound the size of denominator d: if T is irrational or has large denominator, and the problem is feasible in time T, then Theorem 4.1 implies we can reduce T and the problem remains feasible

### 7.3. The quickest transshipment

quickest transshipment is a feasible dynamic transshipment that satisfies all supplies in the minimum time T. Since the dynamic transshipment prefeasible as long as  $v(A) \le \bar{o}(A)$  for all  $A \subseteq S$ , for fixed A is a continuous and nondecreastion of T, at the minimum time T there must be some A that is tight. Theorem 4.1 then implies that T must be a rational number with bounded denominator and thus, using the dynamic transshipment algorithm, we can solve the quickest transshipment problem via binary search for the minimal T.

Given a dynamic network, and a supply vector v, the

## Acknowledgements

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